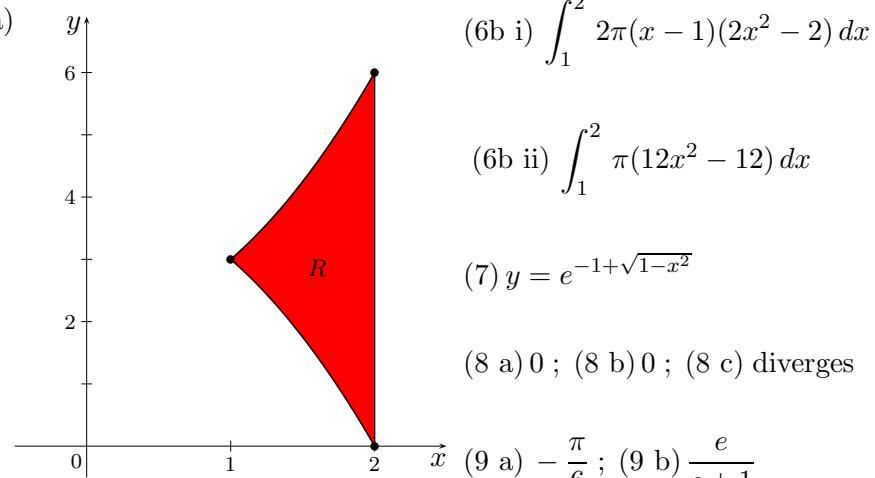
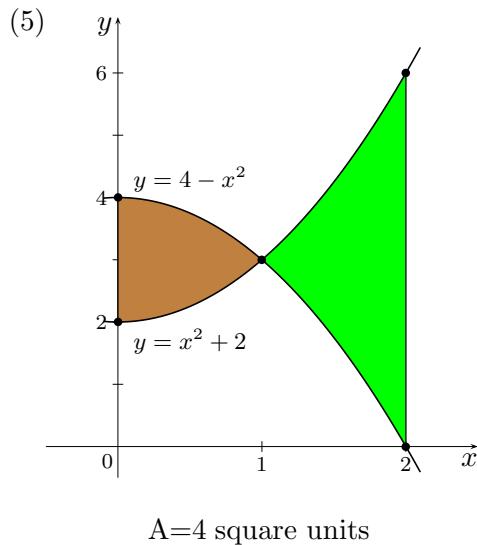


$$(1) \frac{dy}{dx} = \frac{2 \arctan x}{1+x^2} + \frac{x}{1+x^2} + \arctan x - \frac{1}{2\sqrt{x}\sqrt{x}\sqrt{x-1}} ; \quad (2 \text{ a}) 1 ; (2 \text{ b}) e^{2/3}$$

$$(3 \text{ a}) \frac{3\sqrt{x}+2\ln x}{\ln 3} + C ; (3 \text{ b}) \frac{1}{5} \sec^5(\ln x) - \frac{1}{3} \sec^3(\ln x) + C ; (3 \text{ c}) \frac{1}{4} (2x-1)^{1/2} + \frac{5}{6} (2x-1)^{3/2} + C$$

$$(3 \text{ d}) \frac{3}{2} \ln|x| - \frac{1}{4} \ln(x^2+2) + C ; (3 \text{ e}) -\frac{1}{5} e^{2x} \cos 4x + \frac{1}{10} e^{2x} \sin 4x + C ; (3 \text{ f}) \frac{1}{108} \left(\frac{\pi}{2} + 1\right)$$

(4 a) converges to  $\pi$  ; (4 b) converges to  $\pi$



(10 a) divergent by nTT ; (10 b) convergent by Root Test ; (10 c) divergent by LCT with  $\sum \frac{1}{n}$

(10 d) convergent by Ratio Test

(11 a) absolutely convergent by DCT with  $\sum \frac{1}{n^3}$

(11 b) convergent by AST but divergent by Integral Test, then the series is conditionally convergent

(12) interval of convergence:  $(-\infty, \infty)$  ; (13a i)  $\frac{\pi}{4}$  ; (13a ii)  $\frac{\sqrt{3}}{2}$

(13 b)  $\sum_{n=0}^{\infty} (-2)^n \frac{x^{n+1}}{n!}$  ; interval of convergence:  $(-\infty, \infty)$

(14 a)  $x - \frac{1}{2}x^2 + \frac{1}{3}x^3 - \frac{1}{4}x^4 + \frac{1}{5}x^5 \dots$  ; (14 b)  $\sum_{n=1}^{\infty} (-1)^{n+1} \frac{x^n}{n}$  ; (14 c)  $r = 1$